

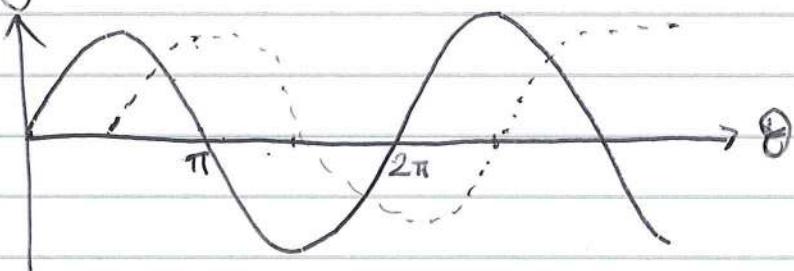
Waves

OSCILLATIONS

- Movement of particles in a wave back and forth
- T (time period, s) - time taken for one full oscillation
- Amplitude (m) - maximum displacement
- Displacement (m) - distance of a particle from the equilibrium position.

All waves have a 'phase', dependent on the time at which the oscillations began \Rightarrow meaningless!

However, we can compare the point in a wave cycle with another wave \Rightarrow phase difference.



The dashed wave is one quarter λ ahead. \therefore this makes it $2\pi/4 = \pi/2$ radians ahead.

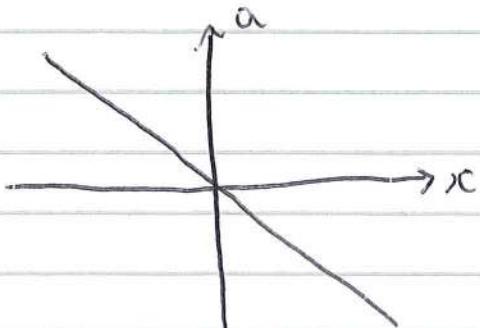
Simple Harmonic Motion

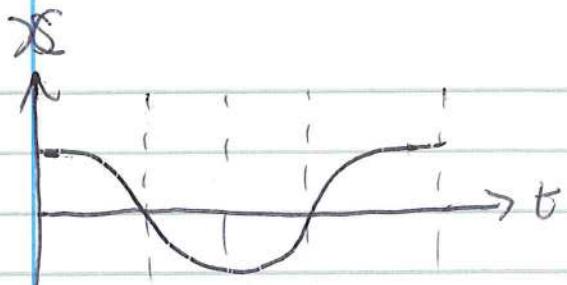
- Definition: the acceleration of a particle is proportional to the displacement and in the opposite direction.

$$a \propto -x \text{ (displacement)}$$

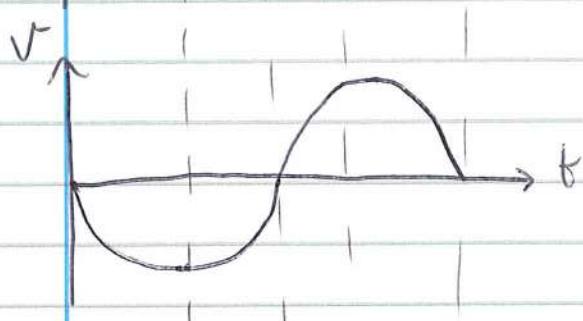
a
 x

acceleration
 (ms^{-2})

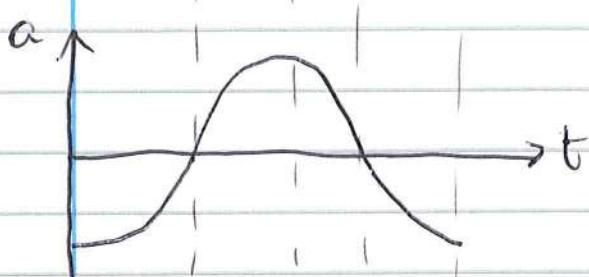




- displacement - time usually starts at the amplitude at time = 0



- velocity - time is the gradient of displacement - time



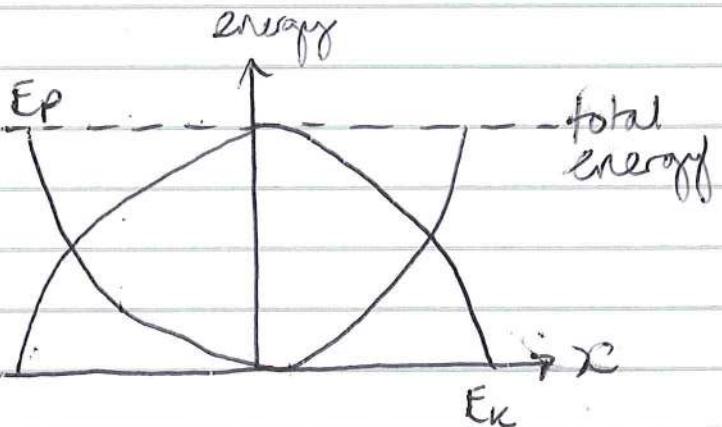
- acceleration - time is the opposite in direction to displacement time

$$T \propto \frac{1}{f}$$

$$T = \frac{1}{f}$$

Number of waves passing a point
(or produced) per second!

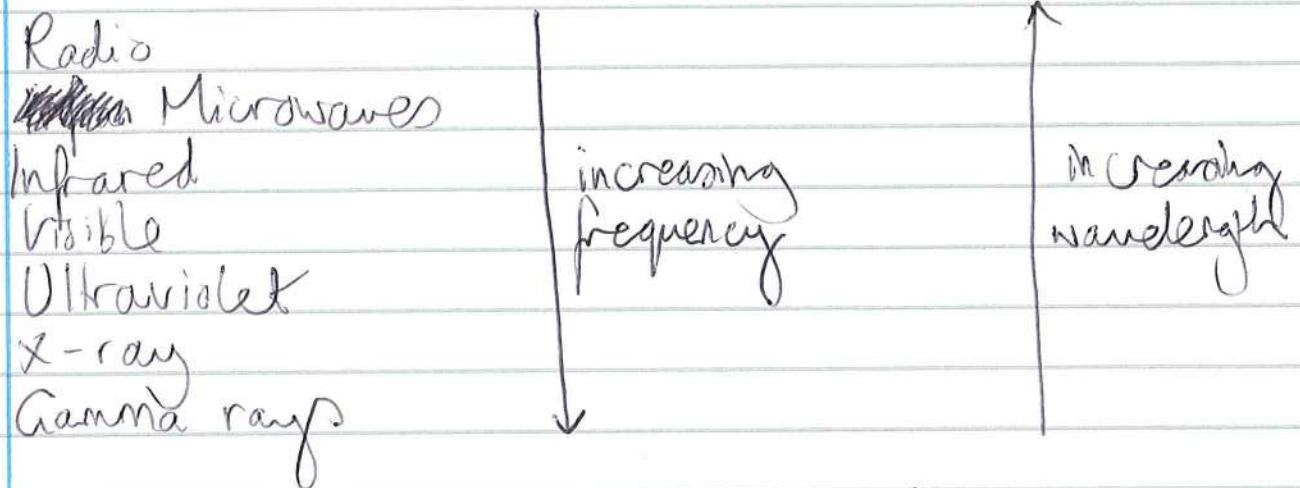
Energy in SHM



TRAVELLING WAVES

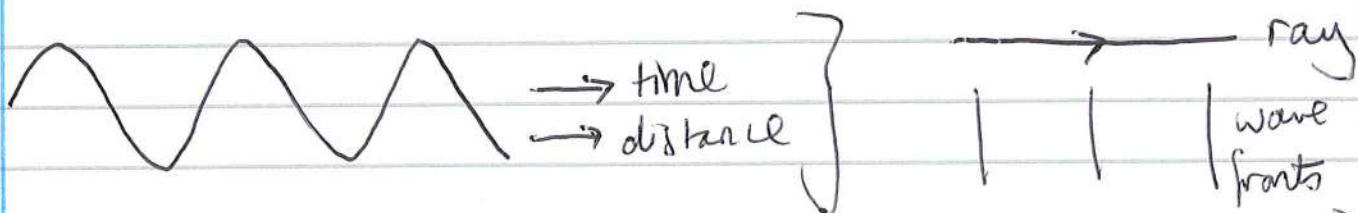
- λ (wavelength, m) - distance between two equivalent points on adjacent waves
 - wave speed ($m s^{-1}$): $v = \frac{\text{distance}}{\text{time}} = \frac{\lambda}{T} = f\lambda$
- e.g. $3 \times 10^8 m/s$ for EM waves
 $\sim 300 m/s$ for sound waves in air

- Transverse: oscillations of medium/particles are perpendicular to wave propagation (EM spectrum)
- Longitudinal: oscillations parallel to propagation (sound)



- Learn methods for finding speed of sound
- Learn the exact details of EM spectrum.

WAVE CHARACTERISTICS



- Intensity - power transferred per unit area (W/m^2)
 $\rightarrow \text{Intensity} \propto \text{amplitude}^2$
$$\frac{I_1}{A_1^2} = \frac{I_2}{A_2^2}$$

\rightarrow intensity follows an inverse square law, $I \propto \frac{1}{\text{distance}^2}$
wave has moved from source

\rightarrow can be reduced by polarisation (filter in a vector plane, only lets components through in certain orientation)

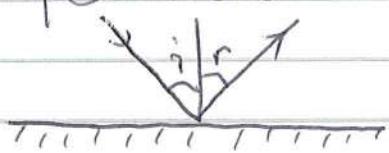
$$I = I_0 \cos^2 \theta$$

- polarizing filter
- reflection on a surface

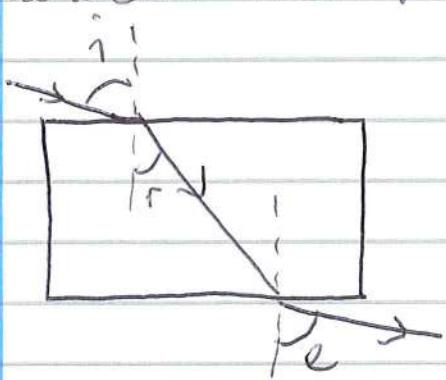
- Superposition - the displacements of waves meeting at a point sum as vectors.
 - constructive (e.g. crest meets crest)
 - destructive (e.g. crest meets a trough)
 - consequence of interference (phenomenon of waves combining)

WAVE BEHAVIOR

- Reflection - angle of incidence = angle of reflection



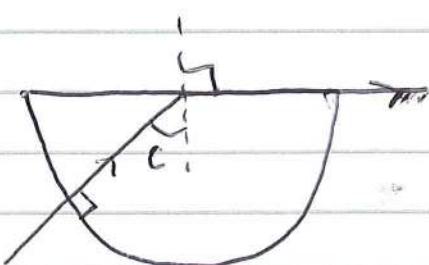
- Refraction - change in direction of a wave caused by a change of speed when crossing a boundary between two media.



$$\frac{n_1}{n_2} = \frac{\sin \theta_2}{\sin \theta_1} = \frac{v_2}{v_1}$$

$$\rightarrow n_{\text{vacuum}} = n_{\text{air}} = 1$$

$\rightarrow n_{\text{glass}} \text{ between } 1 \text{ and } 2.5$

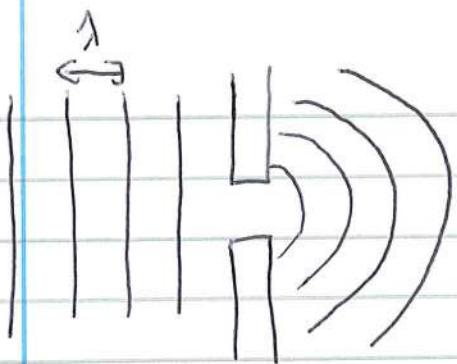


Critical angle gives angle of refraction of 90° for light from more dense to less dense material.

$$n = \frac{1}{\sin C}$$

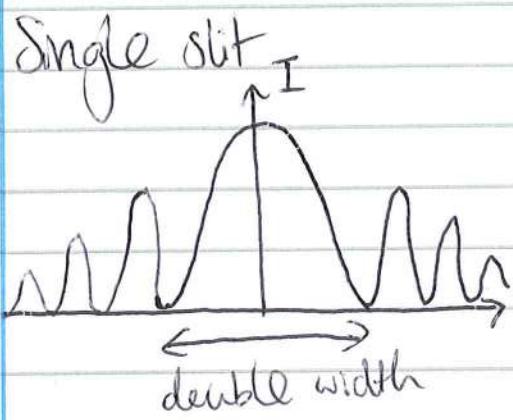
□ Learn a method of investigation!

- Diffraction - spreading out of a wave when passing through a gap in a boundary.



Diffraction is optimised if wavelength \approx gap size.

NB: Since visible light $\lambda \approx 10^{-7}$ m, reducing the gap optimises diffraction spread.



bright fringes
 \rightarrow constructive interference
 \rightarrow path difference = $n\lambda$
 \nwarrow integer

\Rightarrow distance between peaks
 \Rightarrow "fringe spacing" $\leftrightarrow s = \frac{d}{\lambda}$
 \nwarrow distance between slits (m)
 \nwarrow distance from slits to screen (m)

Dark fringes
 \rightarrow destructive interference
 \rightarrow path difference = $(n + \frac{1}{2})\lambda$

STANDING WAVES